

Steps to graphing ALL graph types

1. Get the function in the correct form - make sure if there is a "b" that it has been factored out.
2. Give a description of its transformations compared to the parent graph.
3. Write down the parent table.
4. Adjust parent table by multiplying "a" and "1/b"
Reminder: "a" affects the range (Ys)
"1/b" affects the domain (Xs)
5. Adjust the new table by add/sub "h" and "k"
Reminder: pull h (opposite) and k (same)
add/sub "h" to x-values
add/sub "k" to y-values
6. Plot your points and give the characteristics

Standard Forms

	For all types
$y = a\sqrt[3]{b(x-h)} + k$	-a: _____
	a > 1: _____
	a < 1: _____
$y = a\sqrt{b(x-h)} + k$	-b: _____
	1/b > 1: _____
	1/b < 1: _____
	h: _____
	k: _____

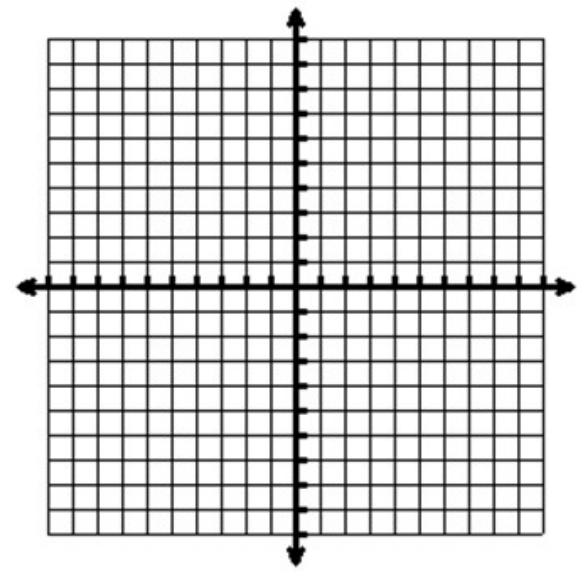
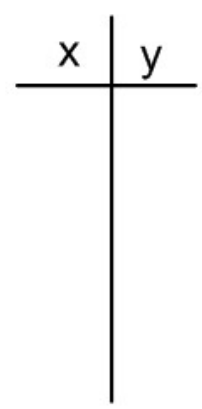
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Square Root $y = \sqrt{x}$

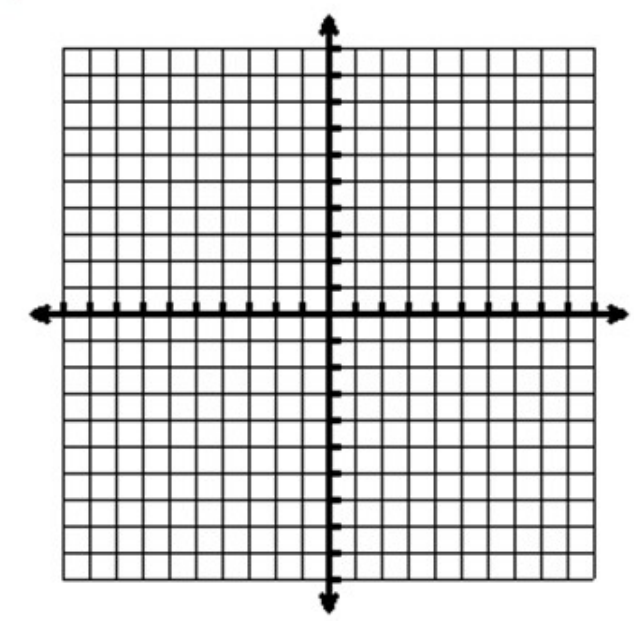
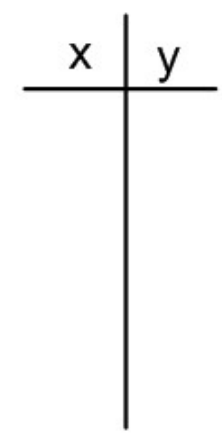


Characteristics

- Vertex:
- Domain:
- Max:
- Int of Inc:
- x-intercept:
- end behavior:

- Range:
- Min:
- Int of Dec:
- y-intercept:

Cube Root $y = \sqrt[3]{x}$

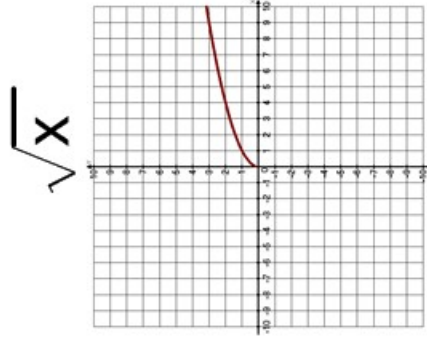


Characteristics

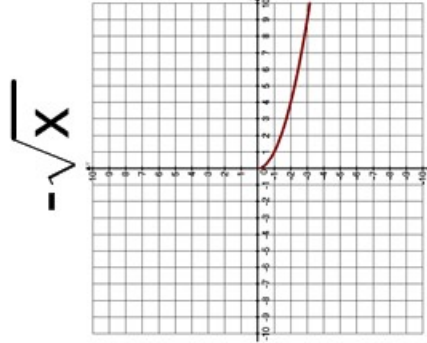
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- Int of Inc:
- x-intercept:
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- Min:
- Int of Dec:
- y-intercept:

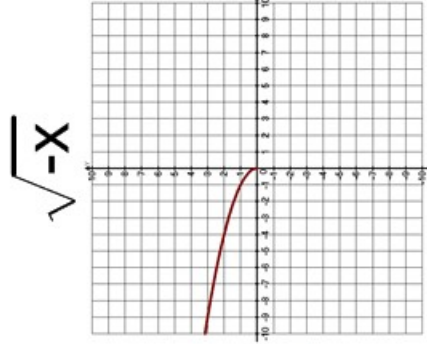
Reflections of \sqrt{x}



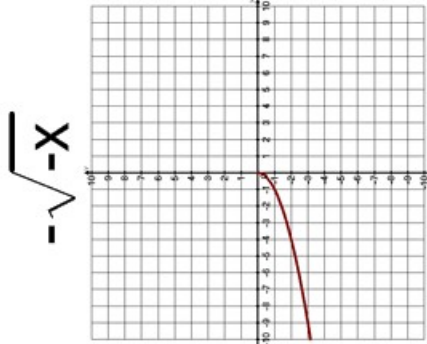
D:
R:
Max/Min:
Inc/Dec/Const:



D:
R:
Max/Min:
Inc/Dec/Const:



D:
R:
Max/Min:
Inc/Dec/Const:



D:
R:
Max/Min:
Inc/Dec/Const:

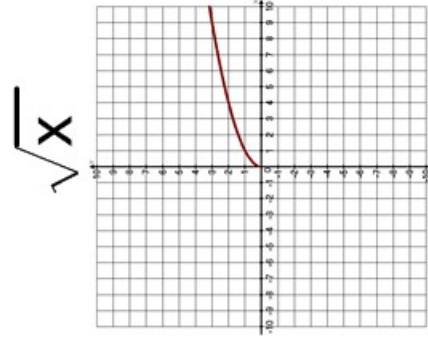
End:

End:

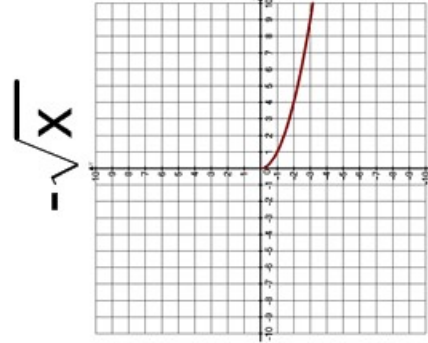
End:

End:

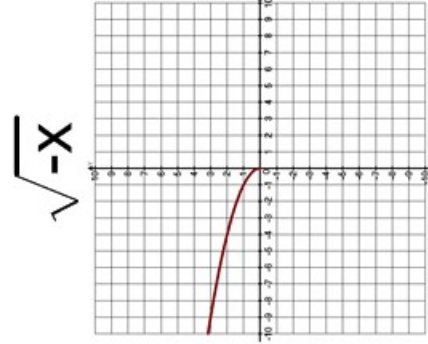
Reflections of \sqrt{x}



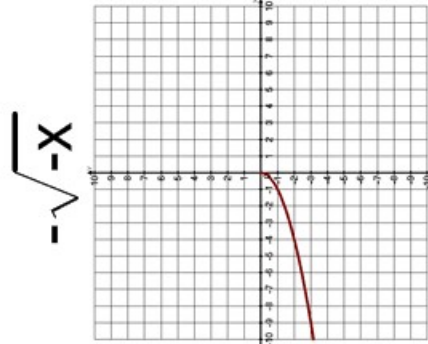
D:
R:
Max/Min:
Inc/Dec/Const:



D:
R:
Max/Min:
Inc/Dec/Const:



D:
R:
Max/Min:
Inc/Dec/Const:



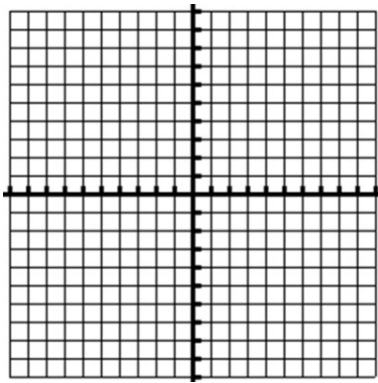
D:
R:
Max/Min:
Inc/Dec/Const:

End:

End:

End:

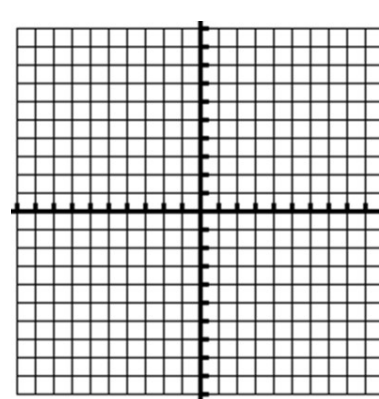
End:



$$f(x) = \sqrt[3]{-x} + 5$$

x	y	x	y
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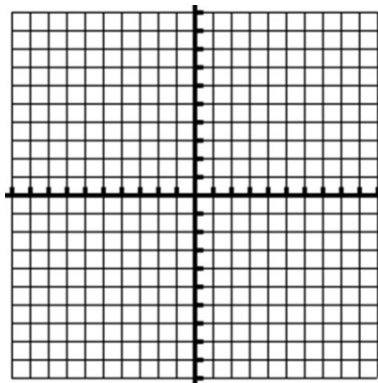
Vertex: _____ Extrema: _____
 Domain: _____ Range: _____
 Int of Inc: _____ Int of Dec: _____
 X-Intercept: _____ Y-Intercept: _____
 End Behavior: _____



$$h(x) = \sqrt{-3x} + 5$$

x	y	x	y
---	---	---	---

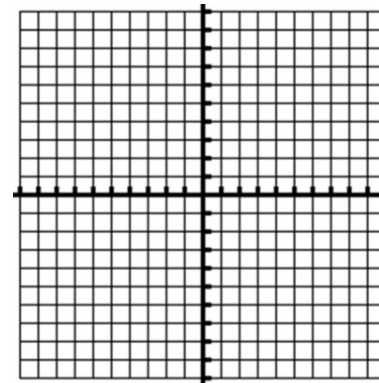
Vertex: _____ Extrema: _____
 Domain: _____ Range: _____
 Int of Inc: _____ Int of Dec: _____
 X-Intercept: _____ Y-Intercept: _____
 End Behavior: _____



$$g(x) = -\frac{1}{2}\sqrt{x+4}$$

x	y	x	y
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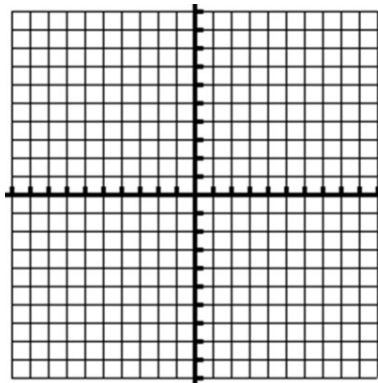
Vertex: _____ Extrema: _____
 Domain: _____ Range: _____
 Int of Inc: _____ Int of Dec: _____
 X-Intercept: _____ Y-Intercept: _____
 End Behavior: _____



$$f(x) = \sqrt{x+4} + 6$$

x	y	x	y
---	---	---	---

Vertex: _____ Extrema: _____
 Domain: _____ Range: _____
 Int of Inc: _____ Int of Dec: _____
 X-Intercept: _____ Y-Intercept: _____
 End Behavior: _____



$$g(x) = \frac{1}{4}\sqrt[3]{x+1} - 2$$

x	y	x	y
---	---	---	---

Vertex: _____ Extrema: _____
 Domain: _____ Range: _____
 Int of Inc: _____ Int of Dec: _____
 X-Intercept: _____ Y-Intercept: _____
 End Behavior: _____