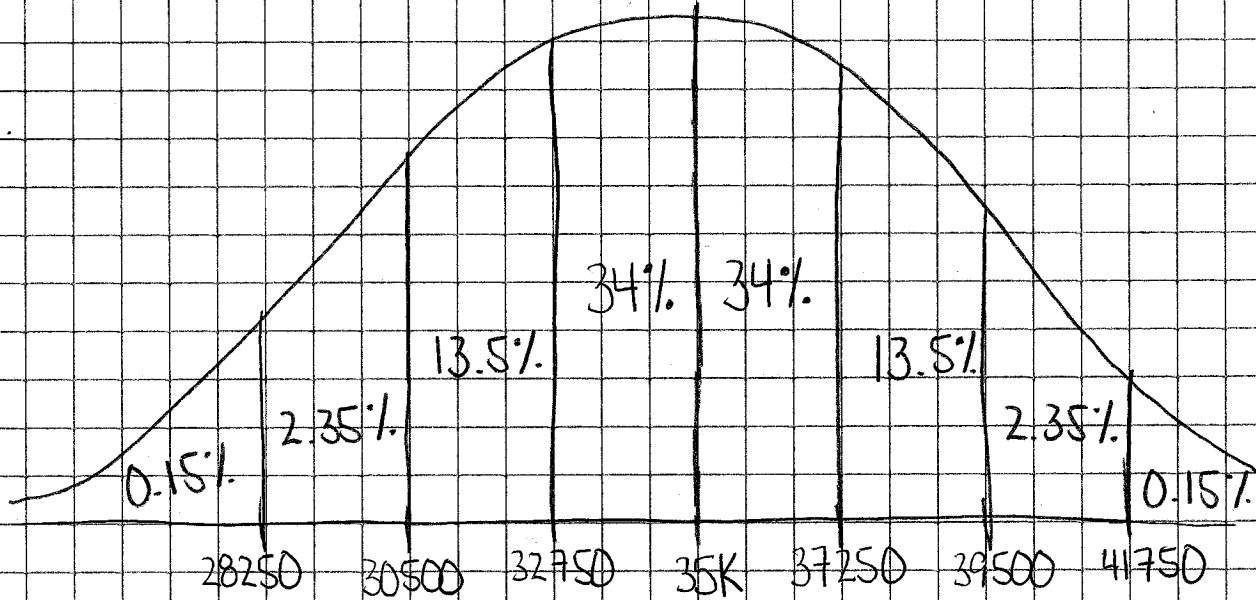


**Use the Empirical Rule:**

1. A certain brand of automobile tire has a mean life span of 35,000 miles and a standard deviation of 2250 miles. Assume the life spans of the tires have a bell-shaped distribution.
  - a. Draw a normal distribution that clearly shows the empirical rule.
  - b. The life spans of the three randomly selected tires are 34,000 miles, 37,000 miles, and 31,000 miles. Find the z-score that corresponds to each life span. According to the z-scores, would the life spans of any of these tires be considered unusual?
  - c. The life spans of three randomly selected tires are 30,500 miles, 37,250 miles and 35,000 miles. Using the Empirical Rule, find the percentile that corresponds to each life span.
  - d. What percentage of tires has life spans between 30,500 and 37,250 miles?
  - e. What percentage of tires has life spans greater than 37,250 miles?
  
2. The life spans of a species of fruit fly have a bell shaped distribution, with a mean of 33 days and a standard deviation of 4 days.
  - a. Draw a normal distribution that clearly shows the empirical rule.
  - b. The life spans of three randomly selected fruit flies are 34 days, 30 days and 42 days. Find the z-score that corresponds to each life span and determine if any of these life spans are unusual.
  - c. The life spans of three randomly selected fruit flies are 29 days, 41 days and 25 days. Use the Empirical Rule, find the percentile that corresponds to each life span.
  - d. What percentage of fruit flies lives at most 21 days?
  - e. What percentage of fruit flies lives longer than 37 days?
  
3. Intelligence Quotient (IQ) is normally distributed with a mean of 100 and a standard deviation of 15.
  - a. Sketch a normal distribution curve to reflect this information.
  - b. Find the probability a person picked at random out of the general population has an IQ in the given interval:
    - i. Between 100 and 115.
    - ii. Between 85 and 130.
    - iii. Between 130 and 145.
    - iv. Over 130.
    - v. Less than 55.
  
4. A city's annual rainfall is approximately normally distributed with a mean of 40 inches and a standard deviation of 6 inches. Use the Empirical Rule to find the probability for each annual rainfall in the city:
  - a. less than 34 inches
  - b. greater than 46 inches
  - c. greater than 52 inches
  - d. less than 28 inches
  - e. between 34 and 40 inches
  - f. between 34 and 46 inches.

1a.



$$1b. z\text{-score} = \frac{34000 - 35000}{2250} = -0.44$$

$$= \frac{37000 - 35000}{2250} = 0.89$$

$$= \frac{31000 - 35000}{2250} = -1.78$$

None are unusual b/c none are more than 3 standard deviations from the mean.

$$1c. 30500 \Rightarrow 2.35\% + 0.15\% = 2.5\% \Rightarrow 2^{\text{nd}} \text{ percentile}$$

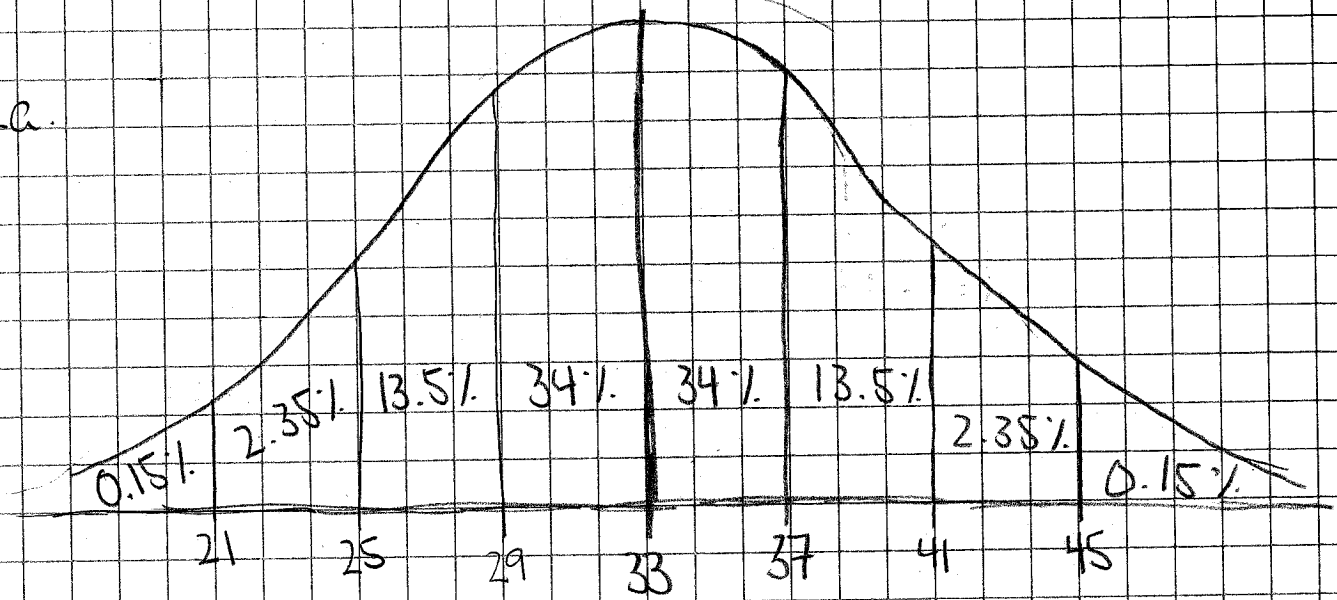
$$37250 \Rightarrow 2.5\% + 13.5\% = 16\% \Rightarrow 16^{\text{th}} \text{ percentile}$$

$$35000 \Rightarrow 50^{\text{th}} \text{ percentile}$$

$$1d. 13.5\% + 34\% + 34\% = 81.5\%$$

$$1e. 13.5 + 2.35 + .15 = 16\%$$

2a.



$$2b. \frac{34 - 33}{4} = 0.25$$

$$\frac{30 - 33}{4} = -0.75$$

$$\frac{42 - 33}{4} = 2.25$$

None are unusual b/c none are more than 3 standard deviations from the mean.

$$2c. 29 \Rightarrow 0.15\% + 2.35\% + 13.5\% = 16\% \Rightarrow 16^{\text{th}} \text{ percentile}$$

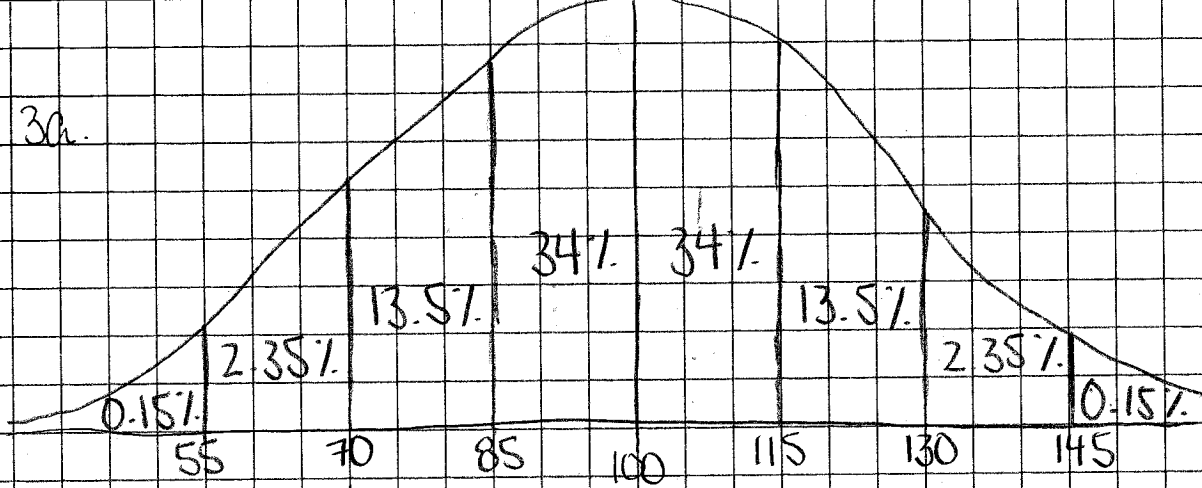
$$41 \Rightarrow 50\% + 34\% + 13.5\% = 97.5\% \Rightarrow 97^{\text{th}} \text{ percentile}$$

$$25 \Rightarrow 0.15\% + 2.35\% = 2.5\% \Rightarrow 2^{\text{nd}} \text{ percentile}$$

$$2d. 0.15\%$$

$$2e. 13.5\% + 2.35\% + 0.15\% = 16\%$$

3a.



i. B/t 100 + 115 - 34% or 0.34

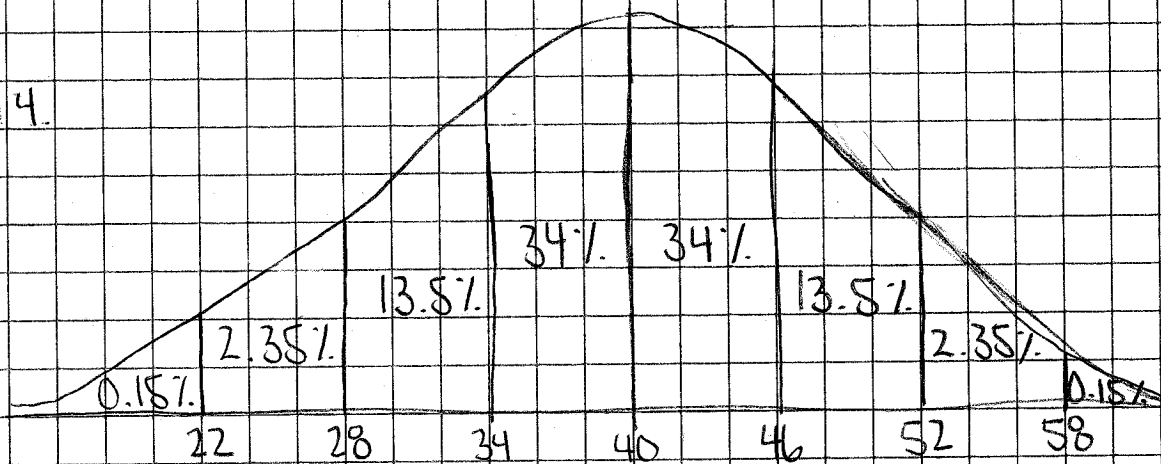
ii. B/t 85 + 130 - 81.5% or 0.815

iii. B/t 130 + 145 - 2.35% or 0.0235

iv. Over 130 - 2.5% or 0.025

v. Less than 55 - 0.15% or 0.0015

4.



a. less than 34 in - 16% or 0.16

b. greater than 46 in - 16% or 0.16

c. greater than 52 in - 2.5% or 0.025

d. less than 28 in - 2.5% or 0.025

e. b/t 34 in and 40 in - 34% or 0.34

f. b/t 34 in and 46 in - 68% or 0.68